

(a) $P(\text{both smokers die first})$
 $= P(\text{HH in 2 tosses of a fair coin})$

$= \frac{1}{4} = 25\%$

| | | |
|----------|----------|---|
| | 2nd toss | |
| | H | T |
| 1st toss | H | T |
| | T | T |

ELM? yes

$P(\sim) = P(\text{H on 1st } \textcircled{\text{and}} \text{H on 2nd})$

$$= P(H \text{ on } 1^{\text{st}}) \cdot P(H \text{ on } 2^{\text{nd}} | H \text{ on } 1^{\text{st}}) \textcircled{2}$$

indep

$$= \left(\frac{1}{2}\right) \cdot P(H \text{ on } 2^{\text{nd}})$$

$$= \left(\frac{1}{2}\right) \cdot \left(\frac{1}{2}\right) = \frac{1}{4} = 25\%$$

weak evidence against Fisher
(below 50% but not tiny)

~~coronary heart disease~~
(b) $P(\text{all 9 smokers die first})$

$$= P(H H H H H H H H H) \text{ in 9 pos}$$

IID

$$\left(\frac{1}{2}\right)^9 = \frac{1}{512} = 0.2\% = .00195 \dots$$

try Fisher test for size; something

extremely unusual happened if (3)

Fisher was correct; therefore Fisher

is probably wrong

(C) (i) no;

0.2% is too low

(ii) no: penetrance held constant

(iii) yes: it's probably smoking causing this data set to come out the way it did

proof by

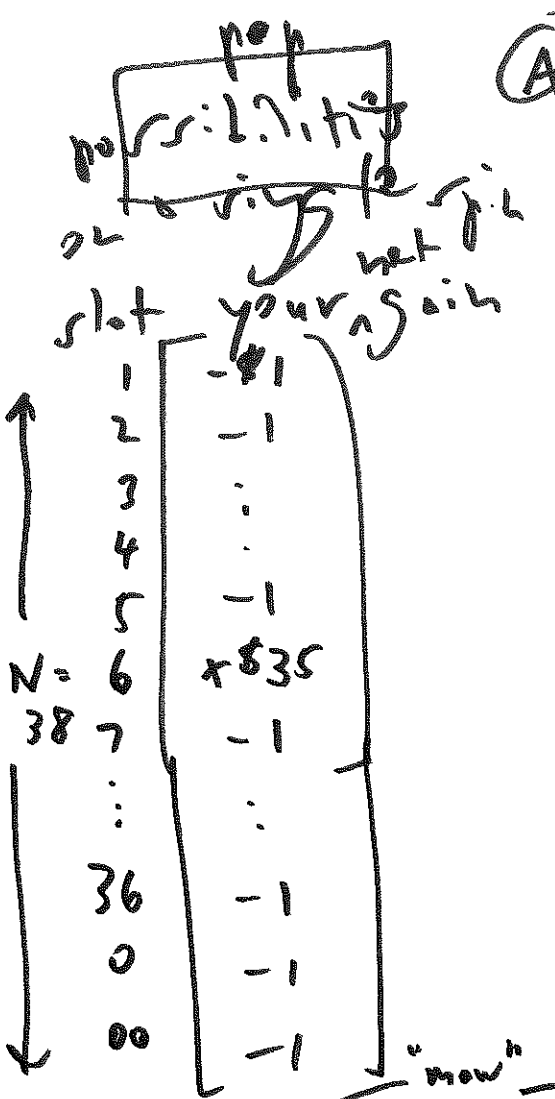
contradiction: suppose temporarily

that a theory is false; show that

this supposition leads to a contradiction of known truth; therefore theory must be true

The argument that defeated Fisher is like a probability version of proof by contradiction

(A) (single #)
6



mean $\mu = \frac{(-1) + (-1) + \dots + (-1) + (+35)}{38}$

$$= \frac{-37 + 35}{38} = \frac{-2}{38} = \frac{-1}{19} = -0.05$$