

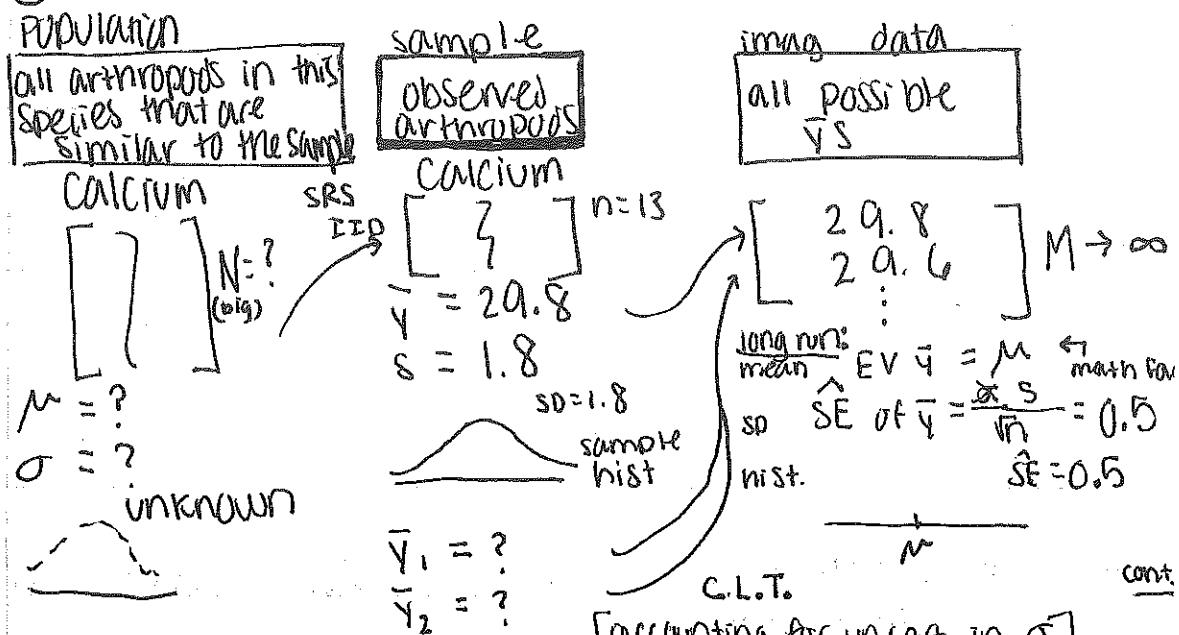
AMS 7  
Disc. Section 5

R-611. (a)  $\frac{32 - 29.8}{29.8} = \frac{\mu - \bar{y}}{\bar{y}} = \frac{+2.2}{29.8} = 7.4\%$

Theory  $\mu$  is 7.4% more than the  $\bar{y}$ .

To see sig - ask expert if 7.4% is sig

(b)



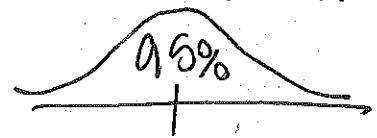
We know about sample, wondering about population  $\rightarrow$  stat. inference [accounting for uncer. in  $\sigma$ ]

(vice versa is Probability)

inferential summary	
pop unknown pop quant	$\mu = \text{pop me}$
samp estimate $\mu$	$\bar{y} = 29.8$
imag data give / take for $\bar{y}$ as est. $\mu$	$\hat{SE}(\bar{y}) = 0.5$
imag $\mu$ 95% CI	$29.8 \pm 1.1$

continued  $\rightarrow$

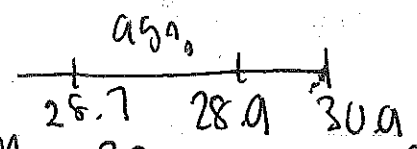
→ t curve w/ 12 degrees of freedom: (n-1)  
 95% area in middle



29.79

$$\bar{y} \pm t_{n-1}^{95\%}$$

$$= 29.8 \pm 1.1$$



$M_0 = 32$  is not in 95% interval & is not supported by the data.

$M_0 - \bar{y}$  is stat sig.  $32 - 29.8$  is big difference. This difference is hard to attribute to ~~an~~ unlucky random sample - this means that this difference is probably real.